

# Intrusion Tolerance for Networked Systems through Two-Level Feedback Control

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## Contributions

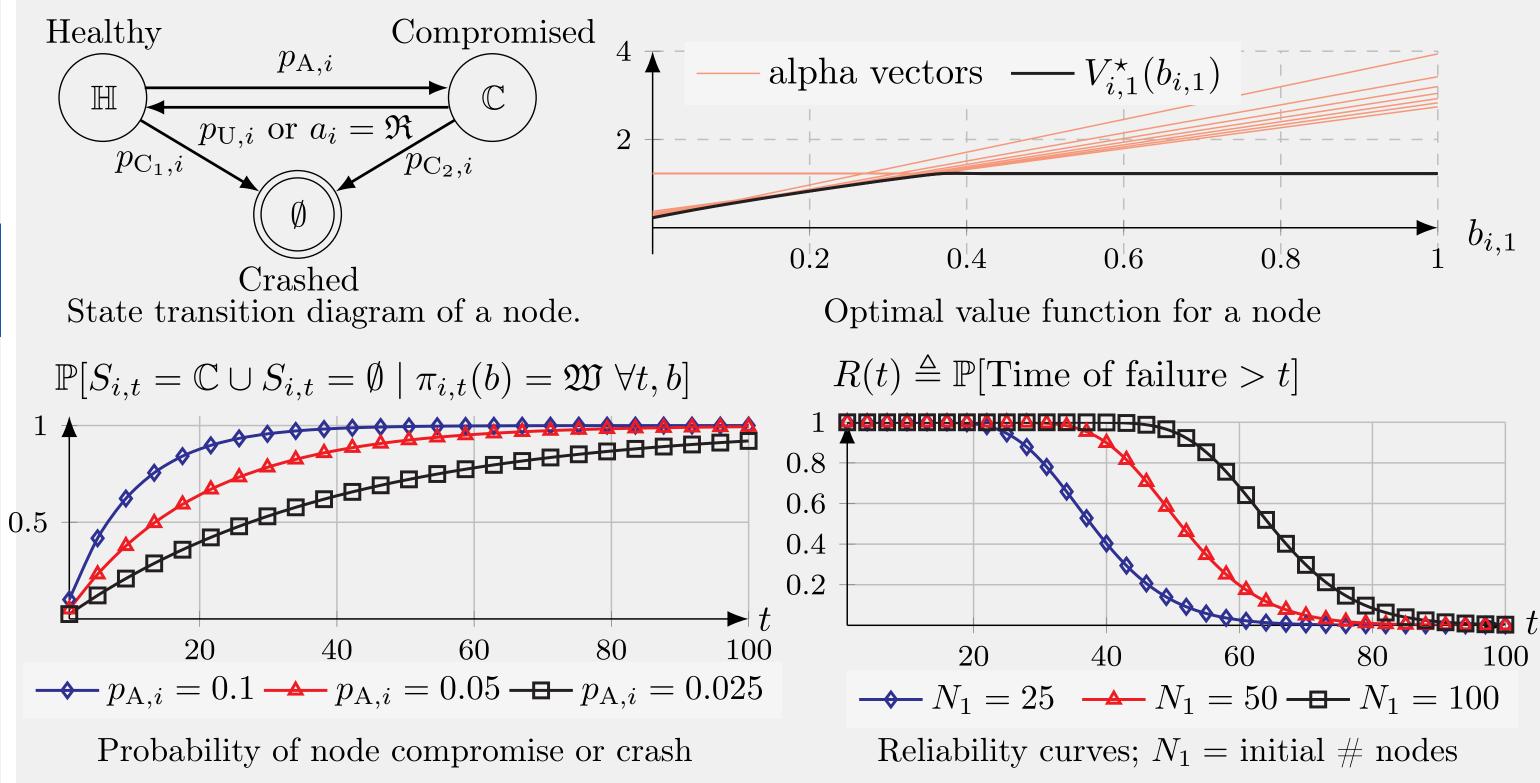
## Formal Model of Intrusion Tolerance

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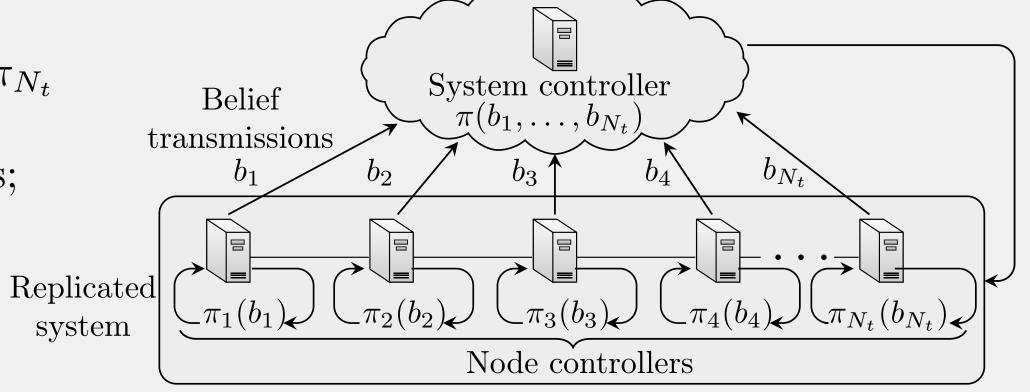
- 1. We present TOLERANCE, a control architecture for intrusion-tolerant systems.
- 2. We prove properties of the optimal control strategies and design efficient algorithms for computing them.

# **Two-level Feedback Control**

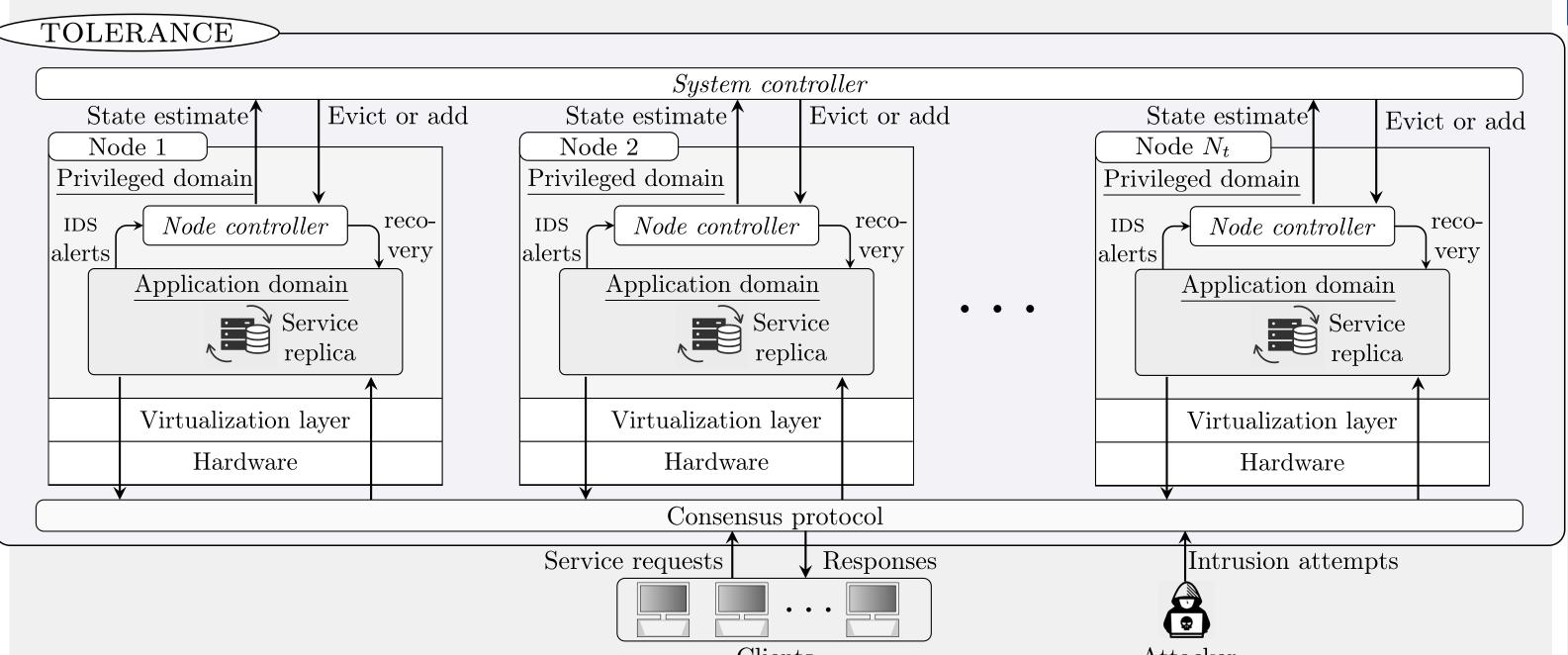




Node controllers  $\pi_1, \ldots, \pi_{N_t}$ compute  $b_1, \ldots, b_{N_t}$ and make recovery decisions; a system controller  $\pi$ manages the Rep replication factor  $N_t$ .



## The TOLERANCE Architecture



#### **Structural Results of Optimal Control Strategies**

**Theorem 1.** There exists an optimal **recovery strategy**  $\pi_{i,t}^{\star}$  for each node *i* that satisfies

$$\pi_{i,t}^{\star}(b_{i,t}) = \Re \iff b_{i,t} \ge \alpha_{i,t}^{\star} \qquad \forall t, \qquad (1)$$
  
where  $\alpha_{i,t}^{\star} \in [0,1]$  is a threshold.

**Corollary 1.** The thresholds satisfy  $\alpha_{i,t+1}^{\star} \ge \alpha_{i,t}^{\star}$  for  $t \in [k\Delta_R, (k+1)\Delta_R]$  and  $i \in \mathcal{N}$ . As  $\Delta_R \to \infty$ , all thresholds converge to  $\alpha_i^{\star}$ , which is time-independent. ( $\Delta_R$  is the bounded-time-to-recovery (BTR) constraint.)

#### Theorem 2.

Clients Attacker **Proposition 1.** TOLERANCE provides correct service if the following holds:

- (a) An attacker can not forge digital signatures.
- (b) Network links are authenticated and reliable.
- (c) At most k nodes recover simultaneously and at most f nodes are compromised or crashed simultaneously.
- (d)  $N_t \ge 2f + 1 + k$  at all times t.
- (e) The system is partially synchronous.

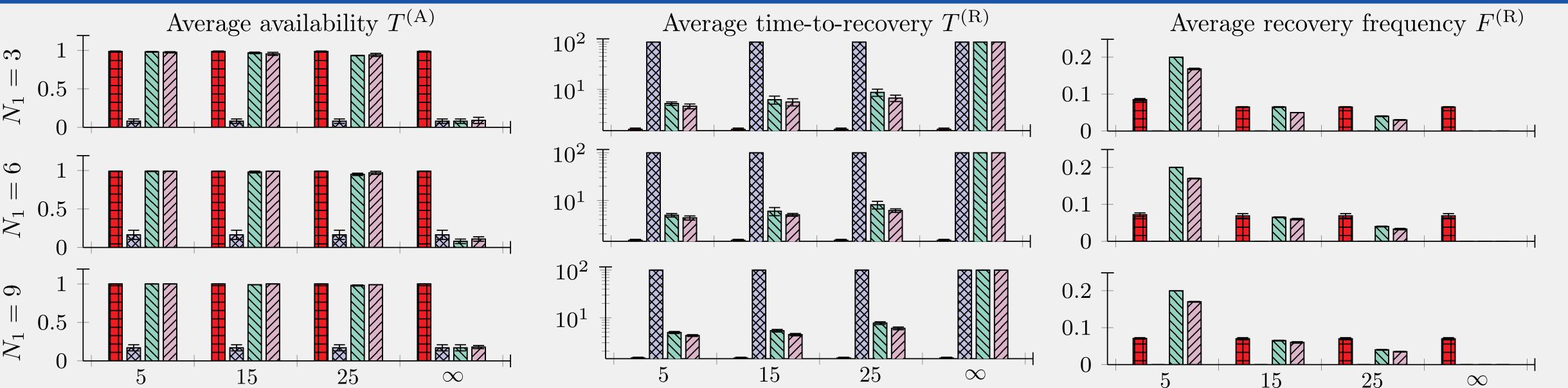
There exist an optimal **replication strategy**  $\pi^*$  that satisfies

 $\pi^{\star}(s_t) = \kappa \pi_{\lambda_1}(s_t) + (1 - \kappa) \pi_{\lambda_2}(s_t) \qquad \forall t, s_t \in \mathcal{S}_{\mathrm{S}}$ (2)

for some probability  $\kappa \in [0, 1]$ , where  $\lambda_1, \lambda_2$  are Lagrange multipliers and  $\pi_{\lambda_1}, \pi_{\lambda_2}$  are threshold strategies.

**Consequence of the structural results**: the optimal control strategies can be computed efficiently.

## Comparison to State-of-the-art Intrusion-Tolerant Systems



Maximum time-to-recovery  $\Delta_R$ Maximum time-to-recovery  $\Delta_R$ Maximum time-to-recovery  $\Delta_R$ 

TOLERANCE ON NO-RECOVERY PERIODIC PERIODIC-ADAPTIVE

#### **Statistical Intrusion Detection**

